

# INTRACELLULAR MICROELECTRODE MEASUREMENTS IN SMALL CELLS EVALUATED WITH THE PATCH CLAMP TECHNIQUE

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**ABSTRACT** Microelectrode penetration of small cells leads to a sustained depolarization of the resting membrane potential due to a transmembrane shunt resistance ( $R_s$ ) introduced by the microelectrode. This has led to underestimation of the resting membrane potential of various cell types. However, measurement of the fast potential transient occurring within the first few milliseconds after microelectrode penetration can provide information about pre-impalement membrane electrophysiological properties. We have analyzed an equivalent circuit of a microelectrode measurement to establish the conditions under which the peak of the impalement transients ( $E_p$ ) approaches the pre-impalement resting membrane potential ( $E_m$ ) of small cells most closely. The simulation studies showed that this is the case when the capacitance of the microelectrode is low and the membrane capacitance of the cell high. In experiments performed to assess the reliability of  $E_p$  as a measure of  $E_m$ , whole-cell patch clamp measurements were performed in the current clamp mode to monitor, free from the effects of  $R_s$ ,  $E_m$  in cultured human monocytes. Microelectrode impalement of such patch clamped cells and measurement of  $E_p$  made it possible to detect correlation between  $E_p$  and  $E_m$  and showed that for small cells such as human monocytes  $E_p$  is on average 6 mV less negative than the resting membrane potential.

## INTRODUCTION

Since the introduction of the patch clamp technique into electrophysiology, detailed studies can be done on the electrical properties of small cell types (1, 2). An important electrical property that needs to be determined in such cells is the resting membrane potential (rmp). For large cells (diameters  $\gg 50 \mu\text{m}$ ) this can be done by use of intracellular microelectrode recordings. Although care must be taken to avoid leakage of the microelectrode filling into the cell (3), the steady state potential measured can be taken to be the value of the rmp. Application of this method to small cells can, however, lead to underestimation of the rmp due to the introduction of an electrical transmembrane shunt resistance  $R_s$  created by the hydration mantle surrounding the microelectrode. The resistance of such a water layer between glass and cell membranes has been estimated to lie between 50 and 200 M $\Omega$  (1). A patch clamp measurement does not have this drawback, because of the achievement of a tight seal (giga-seal) between the patch electrode and the cell membrane (1), which means that (in the whole-cell current clamp mode) membrane potential measurements on small cells are not affected by electrode-induced transmembrane shunts (1, 4). However, use of this method to determine the value of the rmp of a cell has the disadvantage that during whole-cell recording the inside of

the cell is perfused by the contents of the patch pipette. Since the exact composition of the intracellular fluid is often unknown, use of an arbitrary pipette fluid can alter the rmp with respect to its value before the measurement. Thus, despite the acquisition of the patch clamp technique, a method for direct measurement of the rmp of small cells is still needed.

Lassen et al. (5) introduced a method for estimation of the pre-impalement rmp of small cells which takes the presence of the microelectrode-induced shunt into account. This method measures the fast potential transient seen in the first few milliseconds after microelectrode penetration. This impalement transient consists of a fast negative-going potential transient reaching a peak value,  $E_p$ , followed by a depolarizing transient to a steady state potential  $E_s$ . The observation that in a number of cell types  $E_p$  is more negative than  $E_s$  indicated that the rmp of these cells is more negative than had been assumed on the basis of  $E_s$  measurements (3, 5, 6–8). Although impalement transient measurements show whether a steady state measurement is affected by the presence of an  $R_s$  (i.e., if  $E_p$  is more negative than  $E_s$ ), uncertainty exists concerning the accuracy of impalement transient measurements for determining the value of the pre-impalement rmp. Use of the patch clamp technique in combination with microelectrode

impalements now provides an experimental method to help resolve this uncertainty.

The present study was performed to investigate the extent to which  $E_p$  is a good measure of the resting membrane potential of small cells. An equivalent electrical circuit and mathematical analysis were used to investigate the nature of the impalement transient. Patch clamp measurements in the whole-cell current clamp mode combined with microelectrode impalements were applied to cultured human monocytes and used to establish the relation between the pre-impalement rmp and the peak of the impalement transient measured upon microelectrode entry. The results show that under certain conditions  $E_p$  is a good measure of the resting membrane potential prior to cell impalement. Preliminary results of this study have been reported elsewhere (4).

## MATERIALS AND METHODS

Peripheral blood monocytes from healthy human donors were cultured on flying coverslips in petri dishes for 1–3 wk (7). Monocytes cultured in this way differentiate into macrophage-like cells reaching cell diameters between 10 and 40  $\mu\text{m}$ . The glass coverslips with adherent cells were mounted to a Teflon dish and placed on the stage of an inverted microscope where microelectrode and patch clamp measurements were made at an objective magnification of  $100\times$  with oil immersion optics (9). The cells were bathed in a solution composed of 150 mM NaCl, 3 mM KCl, 1 mM  $\text{MgCl}_2$ , 4 mM  $\text{CaCl}_2$ , and 10 mM HEPES-NaOH (pH 7.2). Measurements were made at room temperature.

Membrane potential measurements were performed with microelectrodes and patch electrodes and a dual-input Series 700 Micro Probe 750 microelectrode pre-amplifier (World Precision Instruments, New Haven, CT). Fine-tipped microelectrodes (tip diameters  $<0.2\ \mu\text{m}$ ), filled with 4 M K-acetate had resistances between 50 and 300 M $\Omega$ . Capacitance compensation was used to obtain microelectrodes with rise times  $<0.1\ \text{ms}$ . Cells were impaled by means of a piezo-stepper device (Piezo-stepper P-2000, Physik Instruments (PI), Waldbronn-Karlsruhe, Federal Republic of Germany). Patch electrodes were drawn from thin-walled borosilicate glass and giga-seals were made according to Hamill et al. (1). Patch pipettes were filled with a solution composed of 143 mM KCl, 2 mM  $\text{MgCl}_2$ , 2 mM  $\text{CaCl}_2$ , 10 mM HEPES-KOH (pH 7.2), and sometimes buffered with 10 mM EGTA to bring  $\text{Ca}^{2+}$  to intracellular levels. This solution was also used as filling for the reference pool and microelectrode holder. The reference pool was connected to the bathing solution with a salt bridge filled with extracellular solution. Membrane potentials were measured with respect to the base line of either the microelectrode or patch electrode before cell contact being made.

## RESULTS

### Mathematical Analysis of a Microelectrode Measurement

An intracellular potential measurement by use of a microelectrode can be represented by the equivalent circuit shown in Fig. 1 A, in which an instantaneous electrical shunt,  $R_s$ , is introduced by the electrode upon cell entry. In the equivalent circuit, cell impalement is simulated by closing switch  $S$ . The potential  $E_d$  is included to cover a possible diffusion potential created by the ionic concentration differences across the shunt (5). As can readily be seen from the equivalent circuit in Fig. 1 A, if  $R_s$  is of the order

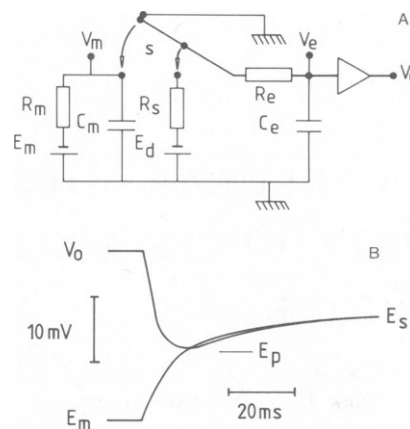


FIGURE 1 Equivalent electrical circuit representation of a microelectrode measurement where a transmembrane shunt is introduced by the microelectrode. (A) Cell parameters are: resting membrane potential,  $E_m$ ; a membrane capacitance,  $C_m$ ; and resistance,  $R_m$ . Electrode parameters are: an electrode resistance,  $R_e$ ; and capacitance,  $C_e$ . The shunt introduced by the microelectrode has a resistance,  $R_s$ , and creates a diffusion potential,  $E_d$ . Cell impalement by the electrode is simulated by the closure of switch  $S$ . The potential measured at the microelectrode amplifier output is  $V_o$ ; the intracellular potential is  $V_m$ , and the potential in the microelectrode is  $V_e$ .  $V_e$  is 0 before impalement (before switch  $S$  is closed) and  $V_m$  is equal to  $E_m$ . (B) A trace of the time course of  $V_o$  (top) and  $V_m$  (bottom) upon closure of switch  $S$  in the equivalent circuit. The circuit reproduces peak potential recordings which at  $V_o$  are seen as sharp negative-going deflections reaching a peak value  $E_p$  followed by a depolarizing transient to a steady state potential  $E_s$ . The time course of  $V_m$  crosses the peak transient at its level  $E_p$ . Scaled values of circuit parameters used here have the following values:  $R_m$ , 100 K $\Omega$ ;  $C_m$ , 3  $\mu\text{F}$ ;  $R_e$ , 2.7 K $\Omega$ ;  $C_e$ , 0.47  $\mu\text{F}$ ;  $R_s$ , 10 K $\Omega$ ; and  $E_d$ , 0.

of or smaller than the cell membrane resistance  $R_m$ , the measured sustained potential  $E_s$  at the amplifier output  $V_o$ , will be less negative than the pre-impalement resting membrane potential  $E_m$ .

After reduction of the electrode time constant  $T_e = (R_e C_e)$  by capacitance compensation, an impalement transient can be measured, which can provide information about the pre-impalement electrical properties of small cells (5, 10). As can be seen in Fig. 1 A, the membrane capacitance  $C_m$  is charged to the value  $E_m$  before cell impalement (i.e., when switch  $S$  is open). When the microelectrode is driven into the cell and  $R_s$  is introduced,  $C_m$  will discharge from  $E_m$  to a new steady-state potential level  $E_s$ . If the response time of the microelectrode is sufficiently rapid, this discharge of  $C_m$  can be monitored at  $V_o$ . Under these conditions the potential transient seen during the first few milliseconds immediately after microelectrode penetration, is characterized by a rapid negative-going potential transient (determined by  $T_e$ ) that reaches a peak value  $E_p$ , followed by a slower depolarizing transient due to the discharge of  $C_m$  (Fig. 1 B). The closest estimate of  $E_m$  based on direct measurement by microelectrode impalement is therefore  $E_p$ . Although  $E_p$  provides a better estimate of  $E_m$  than  $E_s$  does, it remains an underestimation of  $E_m$  (due to limitations imposed by  $T_e$ ). Therefore, a

method by which the value of  $E_m$  can be best determined is still needed.

A simplified model of the impalement transient proposed by Lassen et al. (5) predicts that  $E_m$  can be calculated by exponential extrapolation of the depolarizing tail of an impalement transient back to the moment of cell penetration under the assumption that  $R_s$  stays constant during impalement. Such an extrapolation is possible due to the absence in the model of the capacitive load imposed by  $C_e$  on the discharge of the membrane. As a consequence, in Lassen's model the time course of the discharge of the membrane potential upon closure of switch  $S$  does not intersect the peak of the impalement transient measured at  $V_e$  (Fig. 1 A). As can be seen in Fig. 1 B where both the discharge of the membrane potential and the impalement transient recorded at  $V_e$  are shown, this is not the case. This illustrates that the impalement transient is not fully described by the model of Lassen et al. The following analysis shows that under certain conditions the value of  $E_p$  itself is a good estimate of  $E_m$ .

A mathematical expression for the impalement transient is obtained when Kirchhoff's laws are applied to the circuit in Fig. 1 A. According to these laws the sum of the currents flowing through  $R_m$ ,  $C_m$ ,  $R_s$ , and  $R_e$  after closure of the switch at time  $t = 0$ , must be zero. Under the assumption that amplifier  $A$  has ideal input characteristics (i.e.,  $V_o = V_e$ ), the current through  $R_e$  equals the current through  $C_e$ . Substitution of potentials and components for the currents which flow after closure of switch  $S$  gives an expression relating the potential at the input of the amplifier  $V_e$  to the membrane potential before impalement ( $E_m$ )

$$T_m T_e \frac{d^2 V_e}{dt^2} + (T_m + T_e + \beta T_e) \frac{dV_e}{dt} + \beta V_e = \frac{R_m}{R_s} E_d + E_m \quad (1)$$

in which  $T_m = R_m C_m$ ,  $T_e = R_e C_e$ ,  $T_c = R_m C_e$ ,  $\beta = (R_s + R_m)/R_s$ , and where  $E_d$  is the diffusion potential and  $R_s$  the resistance of the microelectrode-induced shunt. In the steady state situation (i.e., when  $t \rightarrow \infty$ ), Eq. 1 reduces to

$$V_e = E_s = \frac{E_m R_s + E_d R_m}{R_m + R_s} \quad (2)$$

where  $E_s$  is the steady state potential measured by the microelectrode. The accuracy of  $E_s$  as a measure of  $E_m$  depends on whether  $R_s$  is sufficiently large relative to  $R_m$ , and on the magnitude of  $E_d$ . For measurements where  $R_s \gg R_m$ , Eq. 2 reduces to  $E_s = E_m$ . Under such conditions steady state measurements are free from the ill effect of  $R_s$ . Such a situation only occurs in patch clamp measurements where the giga-seal ensures that  $R_s \gg R_m$ , or in intracellular microelectrode measurements from very large or electrically coupled cells, where  $R_m \ll R_s$ . When  $R_s$  is in the order of magnitude of  $R_m$ , however, as is the case in most

studies on small isolated cells,  $E_s$  underestimates  $E_m$  and contains a considerable contribution from  $E_d$  (see Eq. 2).

Measurement of the peak potential  $E_p$  provides a more accurate measure of  $E_m$  than does  $E_s$  (5, 7). To determine how good an estimate  $E_p$  is of  $E_m$ , values of  $E_p$  were calculated for different  $E_m$ . To gain insight into the drawbacks of the use of  $E_p$  to measure  $E_m$ , unfavorable values of parameters were chosen on purpose.  $E_p$  was then calculated by solving Eq. 1. Since all coefficients in Eq. 1 are positive, the solution of Eq. 1 will be of the form:

$$V_e = A \exp(Q_1 t) + B \exp(Q_2 t) + E_s. \quad (3)$$

The factors  $Q_1$ ,  $Q_2$ ,  $A$ , and  $B$  can be calculated from the characteristic equation and the initial conditions ( $V_e = 0$  and  $dV_e/dt = E_m/T_e$  at time  $t = 0$ ). This gives for factors  $A$ ,  $B$ ,  $Q_1$ , and  $Q_2$

$$A = \frac{E_m/T_e + Q_2 E_s}{Q_1 - Q_2} \quad \text{and} \quad B = -\frac{E_m/T_e + Q_1 E_s}{Q_1 - Q_2} \quad (4)$$

$Q_1$ ,  $Q_2$

$$= \frac{(T_m + \beta T_e + T_e) \pm [(T_m + \beta T_e + T_e)^2 - 4\beta T_m T_e]^{1/2}}{(-2T_m T_e)} \quad (5)$$

A peak potential,  $E_p$ , will then be measured at  $V_o$  when  $dV_e/dt$  is equal to zero. This occurs when the following inequality is satisfied

$$\frac{E_d}{E_m} < -\frac{1 + (R_s/R_m)(1 + Q_1 T_e)}{Q_1 T_e} \quad (6)$$

For parameter values that do not satisfy this inequality, the solution of Eq. 1 will be strictly monotonic and therefore approach  $E_s$  but not overshoot it. This latter situation occurs, for example, if  $T_e \gg T_m$ . For the general case, however, when  $T_e < T_m$  in small cells, the condition of Eq. 6 is satisfied and a peak potential will be measured. The time  $t_p$  it takes  $V_e$  to reach  $E_p$  is then given by

$$t_p = \frac{\log_e - (Q_1 A/Q_2 B)}{Q_2 - Q_1}. \quad (7)$$

By substitution of  $Q_1$ ,  $Q_2$ ,  $A$ , and  $B$  and  $t_p$  in Eq. 3, the value of  $E_p$  is given by

$$E_p = A(-Q_1 A/Q_2 B)^{Q_1/(Q_2 - Q_1)} + B(-Q_1 A/Q_2 B)^{Q_2/(Q_2 - Q_1)} + E_s \quad (8)$$

To investigate the relation between  $E_p$  and  $E_m$ , parameter values were varied and  $E_p$  was calculated for different values of  $E_m$ . Since capacitance compensation can give electrode rise times  $< 0.1$  ms, 100 M $\Omega$  electrode here has a residual capacitance of 1 pF.

To assess the parameter sensitivity of  $E_p$ , the first circuit parameters varied were the membrane resistance  $R_m$  and the diffusion potential  $E_d$ . Variation of  $R_m$  between 200 M $\Omega$  and 5 G $\Omega$  and of  $E_d$  between 0 and  $-30$  mV showed that these parameters had little effect on the value of  $E_p$ .

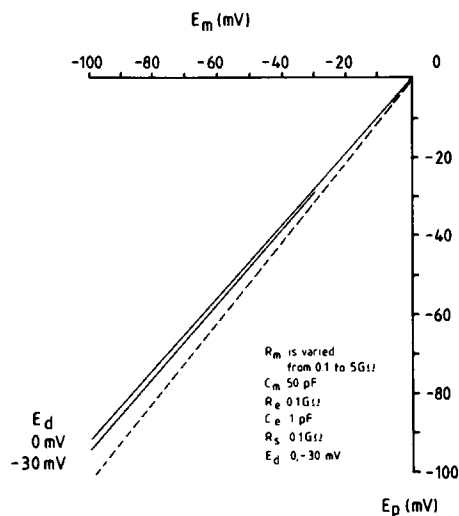


FIGURE 2 Effect of  $R_m$  and  $E_d$  on the relationship between the peak potential  $E_p$  and the pre-impalement membrane potential  $E_m$ . Two  $E_d$  values were compared (0 and  $-30$  mV).  $R_m$  was varied between  $200$  M $\Omega$  and  $5$  G $\Omega$  for  $E_d = 0$  as well as for  $E_d = -30$  mV, but had little influence on  $E_p/E_m$ . The cell and electrode parameters are indicated.  $E_p$  is not defined for values of  $E_m$  less negative than  $-31$  mV for the case where  $E_d$  is  $-30$  mV (see Eq. 6 in text).

(Fig. 2). Since  $R_m$  and  $E_d$  do not significantly affect  $E_p$ , the factors to be investigated further were  $C_m$ , the membrane capacitance, and  $R_s$ , the shunt resistance, as well as  $R_e$  and  $C_e$ .

As can be seen from Fig. 3, the value of  $E_p$  is strongly dependent on the membrane capacitance,  $C_m$ . This could be expected because for a fixed value  $T_e$ ,  $E_p$  will approach  $E_m$  more closely when  $C_m$  discharge slowly (i.e., with large  $C_m$ ) than it would if  $C_m$  discharged rapidly (small  $C_m$ ). Thus  $E_p$  measurements become less accurate for very small

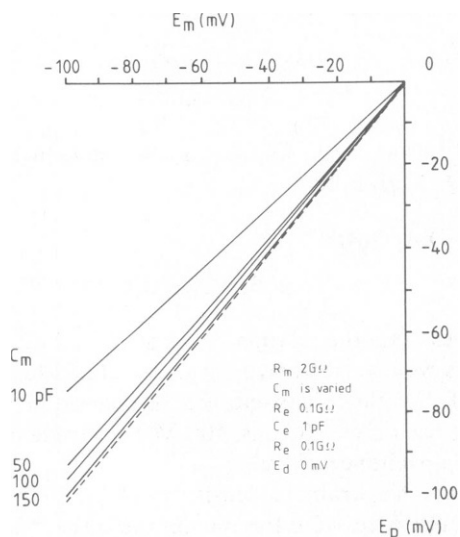


FIGURE 3 The peak of the impalement transient,  $E_p$ , is dependent on the value of the membrane capacitance  $C_m$ .

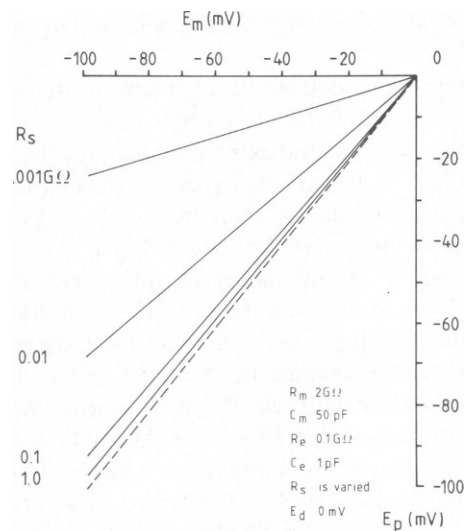


FIGURE 4 The influence of the microelectrode-induced shunt resistance  $R_s$  on the peak of the impalement transient  $E_p$ .

cells, unless very low  $C_e$  electrodes can be used. Fig. 4, where  $E_d$  is taken as  $0$  mV, shows that  $E_p$  approaches  $E_m$  less closely for smaller values of  $R_s$ . Furthermore, with lower values of  $R_s$ , the dependency of  $E_p$  on  $E_d$  increases (Table I). The value of  $E_p/E_m$  depends strongly on  $T_e$  ( $= R_e C_e$ ). For example, in Table I for  $E_d = 0$  and  $R_s = 1$  G $\Omega$ ,  $E_p/E_m$  is equal to  $0.97$  for  $T_e = 0.1$  ms, whereas for a cell with the same parameters but with a  $T_e$  of  $0.5$  ms,  $E_p/E_m$  is only equal to  $0.77$ . This observation underscores the need to use maximum capacitance compensation of the microelectrode. Not only the value of the product of  $R_e C_e$ , but also the individual values of  $R_e$  and  $C_e$  will influence  $E_p/E_m$ . This is illustrated in Table II, where the effect of  $C_e$  on  $E_p/E_m$  is shown for a constant product  $R_e C_e$  ( $T_e$ ).

### Experimental Evidence

In the previous section it was shown that according to theoretical criteria the value of  $E_p$  can provide a good measure of  $E_m$ . To verify this prediction experimentally, patch clamp measurements (which do not suffer from the effects of  $R_s$ ) were made in the whole-cell current clamp configuration under giga-seal (i.e.,  $R_s > 10$  G $\Omega$ ) conditions (1) combined with microelectrode impalement of the same

TABLE I  
THE EFFECT OF  $R_s$  AND  $E_d$  ON  $E_p/E_m$

$E_d$	$R_s = 1$ M $\Omega$	$R_s = 10$ M $\Omega$	$R_s = 100$ M $\Omega$	$R_s = 1$ G $\Omega$
mV	$E_p/E_m$	$E_p/E_m$	$E_p/E_m$	$E_p/E_m$
0	0.25	0.66	0.91	0.97
-10	0.27	0.68	0.91	0.97
-20	0.31	0.70	0.92	0.97
-30	0.35	0.72	0.92	0.97

$R_m$ ,  $2$  G $\Omega$ ;  $C_m$ ,  $50$  pF;  $R_e$ ,  $100$  M $\Omega$ ;  $C_e$ ,  $1$  pF;  $E_p/E_m$  only holds for values of  $E_m$  which satisfy Eq. 6.

TABLE II  
THE EFFECT OF  $R_e$  AND  $C_e$  ON  $E_p/E_m$

$R_e$	$C_e$	$E_p/E_m$
50 M $\Omega$	10 pF	0.68
100 M $\Omega$	5 pF	0.72
500 M $\Omega$	1 pF	0.76
1 G $\Omega$	0.5 pF	0.77
5 G $\Omega$	0.1 pF	0.77

$R_m$ , 2 G $\Omega$ ;  $C_m$ , 50 pF;  $T_e = R_e C_e = 0.5$  ms;  $E_d$ , 0;  $R_s$ , 100 M $\Omega$ .

cell. Subsequently the value of  $E_m$  can be correlated with  $E_p$  as measured by the penetrating microelectrode.

Cultured human monocytes were used for the experiments in which patch clamp measurements were combined with microelectrode impalement. After a giga-seal had been established in current clamp mode, the patch was broken by application of an extra suction pulse to the patch electrode, thereby obtaining a whole-cell measurement where  $E_m$  was recorded. Current pulses applied via the patch electrode gave a double exponential response reflecting the rise time of the patch electrode in series with the membrane. From such current pulse responses the values of  $R_m$  and  $C_m$  could be determined and revealed a wide spread of values of  $R_m$  (20 M $\Omega$ –5 G $\Omega$ ) and  $C_m$  (10 pF–90 pF), reflecting the heterogeneity of cell sizes in these human monocyte cultures.

As soon as a stable membrane potential,  $E_m$ , was recorded from the patch electrode (indicating equilibrium between original cell content and perfusate), the microelectrode was driven into the cell and potentials from both electrodes were recorded. In records made on a slow time-scale (where the impalement transient cannot be seen due to the slow response of the chart recorder), the depolarizing effect of the microelectrode-induced shunt can be seen as a sustained depolarization with respect to  $E_m$  prior to impalement (Fig. 5 A). For the example shown in Fig. 5 A, the membrane resistance measured before microelectrode impalement, 136 M $\Omega$ , and the value of the impaled membrane resistance measured immediately after impalement (i.e., after the introduction of  $R_s$ ), 58 M $\Omega$ , gives a value of 101 M $\Omega$  for  $R_e$ . Substitution of this value of  $R_e$  into Eq. 2 together with the values of  $E_m$  (–91 mV) and  $E_s$  (–51 mV) from Figs. 5 A and B, gives a value for the shunt induced diffusion potential  $E_d$  of –5 mV. This value is close to that predicted by Lassen et al. (–9 mV) for ascites tumor cells (5). The record in Fig. 5 A illustrates that cautious use of steady-state membrane potential measurements on high resistance cells measured with microelectrodes is advisable. Another estimate of  $R_e$  was obtained by impalement of a cell under whole-cell voltage clamp conditions. The cell was held at –50 mV and the excess current drawn from the voltage clamp upon impalement was measured. Under the assumption that this excess current resulted solely from the introduction of  $R_s$ , values of 260 and 157 M $\Omega$  were calculated for  $R_e$  in two cases.

In Fig. 5 B the microelectrode impalement transient is recorded on a fast time scale simultaneously with the depolarization of the membrane recorded by the patch electrode. The peak of the impalement transient equals the value of  $E_m$  before microelectrode entry. Such large values of  $E_p$  were never measured in impalements in intact cultured human monocytes (range, –30 and –50 mV) indicating that perfusion of the cell by the patch filling affected the rmp of this cell. In Fig. 5 C, experiments of the type shown in Figs. 5 A and B are shown graphically, the values of  $E_m$  measured by the patch electrode prior to microelectrode impalement being plotted against each subsequent  $E_p$  value measured by the microelectrode in 16 cells. These results show that  $E_p$  follows the value of  $E_m$  to within 10 mV.

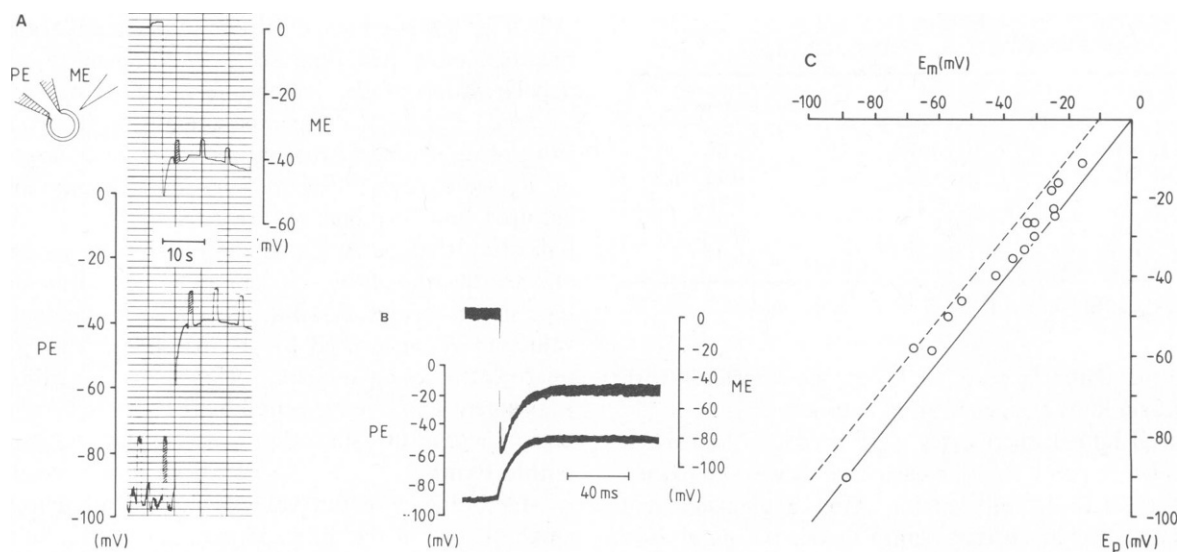
Membrane potential values may be influenced by a small change in the diffusion potential at the fluid interface of the electrode tip as the electrode establishes contact with the intracellular solution. For our microelectrode measurements we found no significant change in baseline when exchanging the extracellular for the intracellular fluid used (taking the change in diffusion potential at the salt bridge into account). For patch electrode measurements, however, the liquid junction potential that exists at the patch electrode tip (the patch electrode filling being ~3 mV electronegative with respect to the bathing solution) is abolished when a whole-cell measurement is made. This means that the absolute membrane potentials could be ~3 mV more negative than those measured with respect to the baseline of the patch electrode before cell contact. Correction of the membrane potentials measured by the patch electrode for this 3 mV change in diffusion potential leads to  $E_p$  being on average 6 mV (SD = 2,  $n$  = 16) less negative than the absolute membrane potential.

## DISCUSSION

The present results show that the peak value,  $E_p$ , of the rapid potential transient seen upon microelectrode impalement, can be used as a good measure of the resting membrane potential ( $E_m$ ) of small cells. The evidence is supported by equivalent circuit analysis as well as by patch clamp measurements in combination with microelectrode impalements on cultured human monocytes.

The theoretical analysis showed that the closeness of  $E_p$  to  $E_m$  is determined mainly by the values of the membrane capacitance  $C_m$ , the electrode capacitance  $C_e$ , and the shunt resistance  $R_s$  caused by the microelectrode. Larger values of  $C_m$  and  $R_s$  and smaller values of  $C_e$  enhance the reliability of using  $E_p$  as a measure of  $E_m$ . These parameters can be experimentally manipulated to obtain favorable conditions for  $E_p$  values to more closely approach values of  $E_m$ .

The membrane capacitance,  $C_m$ , can be increased if large cells are available. These can be obtained by, for example, x-irradiation of a dividing cell line (10). Since irradiation halts cell division but not necessarily cell



**FIGURE 5** Simultaneous membrane potential recordings on a cultured human monocyte from a patch electrode in the whole-cell current clamp mode and an intracellular microelectrode, showing the effect of the introduction of a microelectrode-induced transmembrane shunt,  $R_i$ . (A) The potential transients, seen on a slow time scale as the microelectrode impales the cell, show the steady state effect of the introduction of  $R_i$  by the microelectrode. The bottom trace represents the potential measured by the patch electrode (PE) and the top trace is the potential measured by the microelectrode (ME) upon impalement of the cell by the microelectrode. The introduction of the microelectrode leads to a depolarization of the membrane potential from  $-91$  mV to about  $-50$  mV. Membrane resistance is measured by passing  $0.1$  nA pulses through the PE before the ME impalement. The pulse response measured by the PE reflects the membrane resistance (shaded,  $136$  M $\Omega$ ) and the series resistance of the PE ( $48$  M $\Omega$ ). Measurement of the membrane resistance ( $58$  M $\Omega$ ) after ME impalement, shows that the ME has introduced an  $R_i$  of  $101$  M $\Omega$ . The response to the injected current pulse via the PE as measured by the PE after ME penetration reflects the series resistances of the PE and the membrane. The ME only measures the resultant membrane resistance. The patch electrode was filled with  $K^+$ -saline without added EGTA. The two potential transients are slightly shifted in time due to the distance between the pens of the two channels of the recorder. (B) The potential transients measured on a fast time scale by the PE (bottom trace) and by the ME (top trace) at the moment of cell impalement of the records shown in A. The peak potential measured by the ME ( $-91$  mV) equals the pre-impalement membrane potential ( $-91$  mV) measured by the PE. The vertical positions of the two transients have been shifted to make both transients visible. (C) The relationship between the pre-impalement membrane potential  $E_m$  measured by the PE and the peak potential  $E_p$  by the ME in 16 experiments. The plot shows that  $E_p$  provides an estimate of the pre-impalement membrane potential within  $10$  mV (dashed line).  $R_m$  ranged in these measurement from  $20$  M $\Omega$  to  $5$  G $\Omega$  and  $C_m$  from  $10$  to  $90$  pF.

growth, culture of irradiated cells yields giant cells (11). This process did not alter the value of the resting membrane potential of a murine macrophage or of a fibroblast cell line (10). Another way to obtain large cells is by prolonged culture of cells: the original size of mononuclear phagocytes, e.g., mouse peritoneal macrophages and human monocytes, increases by a factor of 2 to 5. Other methods such as cell fusion (12) can also be considered for this purpose. However, it should be kept in mind that use of techniques to obtain large cells may change the functional properties of cells.

The electrode capacitance,  $C_e$ , can be decreased by optimal use of capacitance compensation. Fabrication of electrodes with a wider-angle taper gives electrodes having a closer resemblance to a single RC network, which means that capacitance compensation can be used optimally. Smaller-tip angle electrodes have a more distributed RC network, which limits the use of capacitance compensation. Wider angle electrodes have, however, the disadvantage that such electrodes probably decrease the value of  $R_i$  and thus abolish the advantage gained by lowering the  $C_e$ . An alternative method for lowering  $C_e$  could be achieved by

sylgard coating of the microelectrode. Thus, the general notion that high-resistance microelectrodes leads to more reliable membrane potential measurements is not true for peak potential measurements, because it is the value of the electrode capacitance which mainly determines the usefulness of  $E_p$  as a measure of  $E_m$ .

Measurement of the impalement transient can facilitate electrophysiological investigations into single cells in various ways. Measurement of  $E_p$  can be important, for example, for establishing whether sustained potential measurements done with intracellular microelectrodes suffer from the effects of a microelectrode-induced shunt resistance  $R_i$ . Peak potential measurements have thus enabled a number of authors to establish that the resting membrane potential of different cell types is more negative than had previously been thought on the basis of intracellular steady-state potential measurements (5–8, 13). Furthermore, analysis of the shape of the impalement transient in macrophages and fibroblast cell lines revealed that the membrane potentials of these cells do not oscillate prior to microelectrode entry as they can do following microelectrode entry (10).

Measurement of  $E_p$  after ion channel measurements in the cell-attached patch configuration provides a basis for correction of the I-V curves of ion channels for the contribution of  $E_m$ , thereby enhancing the usefulness of cell-attached patch measurements. We used this method to establish the presence of  $K^+$  channels in cultured human monocytes (4). Measurements of the  $E_p$  values of a population of cells in culture allows investigation of the effect of various conditions on the average resting membrane potential of the population. In this way peak potential measurements were used to identify the presence of a Na/K pump in cultured human monocytes (14). It is concluded that measurement of the peak potential offers a useful and reliable method to establish the resting membrane potential of small cells.

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